

# Trade Elasticities\*

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## Abstract

The welfare gains from trade depend on the degree of openness, the price elasticity of trade, and on their dispersion across sectors. This paper estimates both parameters at sector-level for 28 developing and developed countries. It computes the welfare gains from trade in the presence of heterogeneity in both parameters, and evaluates the importance of each. The paper introduces an “aggregate” trade elasticity, defined as the elasticity which equalizes welfare gains in one and multiple sector models. The values for this aggregate elasticity vary greatly across countries, and they do so because of their patterns of production. In contrast, standard estimates of aggregate trade elasticity hardly display any differences across countries.

JEL Classification Numbers: F32, F02, F15, F41

Keywords: Price Elasticity of Imports, Sectoral Estimates, Trade Performance, Heterogeneity.

## 1 Introduction

The welfare gains from trade can be computed on the basis of the price elasticity of trade, and the degree of openness to foreign trade. This result, due to Arkolakis et al. (2012), has recently been extended to cases allowing for sector-level heterogeneity. Ossa (2015) and Costinot and

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\*Thanks are due to Brent Neiman and Andrei Levchenko, for their discussions of an early version of this paper, and to audiences at the September 2010 San Francisco Fed Pacific Basin Research Conference and the January 2011 American Economic Association Meetings.

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Rodriguez-Clare (2013) discuss the implications of heterogeneous trade elasticities. Levchenko and Zhang (2014) allow for sector-specific degrees of openness. This paper combines both dimensions, and evaluates their respective importance.

We introduce a measure of a country’s trade elasticity that depends directly on the sector-level specialization of production and exports. The notion that a country’s trade performance is directly related to the specialization of its production is ubiquitous in the media, but absent from the conventional estimate of this important parameter. For instance, Houthakker and Magee (1969) estimate price elasticities of imports for 15 developed economies, and find no two estimates are significantly different from each other. Little has changed since then: the aggregate price elasticity of imports is a small number, close to zero from below, and it tends to be so for most countries.

The result in Arkolakis et al. (2012) ought to imply the same welfare gains whether they are computed using sector-level or aggregate parameters. We use this identity to introduce an “aggregate” trade elasticity, expressed as a weighted average of sector-level elasticities, where the weights reflect the specialization of the economy. The aggregate trade elasticity takes the value that equates the welfare gains from trade implied by heterogeneous sectors to those implied by the one-sector model. This exercise enables us to decompose the sources of cross-country differences in aggregate trade elasticities into differences in the sizes of sectors, their openness, and their trade elasticity. We find that aggregate trade elasticities are close to the US in most developed countries, with the exceptions of the UK, Australia, and Canada, where they are substantially larger in absolute value. Most emerging markets have much larger elasticities (in absolute value) than the US, e.g., China, Turkey, Chile, or Slovakia. In both cases, the differences come from high values of trade elasticities at sector level. Sector-level heterogeneity in trade elasticities has first-order consequences on the aggregate trade performance of countries.

Arkolakis et al. (2012) show that the welfare gains from trade are given by

$$d \ln W_j^{MS} = \sum_s \frac{\beta_j^s}{\varepsilon_j^s} \ln \lambda_{jj}^s$$

where  $s$  and  $j$  respectively denote a sector and an importing country,  $\lambda_{jj}^s$  is the share of domestic expenditures in country  $j$ 's sectoral consumption,  $\beta_j^s$  is the share of sector  $s$  in final expenditures, and  $\varepsilon_j^s$  is the trade elasticity. As shown later, the analogous aggregate version is given by

$$d \ln W_j^{OS} = \frac{1}{\varepsilon_j} \ln \lambda_{jj}$$

Since the implied welfare gains must be identical, it follows that

$$\varepsilon_j = \left( \sum_s \beta_j^s \frac{\ln \lambda_{jj}^s}{\ln \lambda_{jj}} \frac{1}{\varepsilon_j^s} \right)^{-1} \quad (1)$$

which expresses an aggregate trade elasticity as a weighted average of sector-level elasticities.

The paper follows Imbs and Mejean (2015) to estimate values for  $\varepsilon_j^s$ , and calibrates measures of openness and expenditures shares for 28 developed and emerging markets. The resulting estimates of  $\varepsilon_j$  range from  $-3.4$  to  $-9.9$ , with lowest values in Cyprus, Chile, and China. The cross-country average equals  $-5.9$ . Developed economies have estimates around  $-5$ ,  $-4.9$  in the US, although Canada, the UK, Australia, and Greece have substantially larger values (in absolute value), closer to  $-6$ , or even  $-9$  in Greece. The values of  $\varepsilon_j$  are clearly significantly different from classic trade elasticity estimates obtained from aggregate data.

We decompose these international differences into three components: (i) the dispersion in estimates of  $\varepsilon_j^s$  across countries, (ii) differences in sectoral openness to trade  $\lambda_{jj}^s$ , and (iii) differences in the sectoral allocation of expenditures  $\beta_j^s$ . Trade in most economies in Western Europe is about as elastic as in the US ( $-4.9$ ), and the differences are minimal across all three components of our decomposition: France, Germany, Hong Kong, Japan have similar aggregate elasticities, and also similar sector-level patterns. Some exceptions are Norway, Sweden, the UK, Australia, Canada, and Greece, that all have substantially larger elasticities in absolute value. In all these cases, the differences reflect the fact that sectoral trade is more elastic than in the US, especially in large and open sectors. This seems to correspond to relatively specialized developed economies - either in commodities, or perhaps in the financial sector.

An exception is Austria, whose estimated elasticity is close to the US ( $-4.8$ ). On average, sector-level elasticities in Austria are substantially higher than in other developed countries. But this is offset by the fact that those sectors with relatively low elasticities are in fact the big sectors of Austria, both in terms of domestic expenditures and of trade - i.e the aggregate trade elasticity is low.

Most developing economies have aggregate elasticities that are larger than in the OECD. In most cases, this happens because sector-level elasticities are larger in absolute value. For instance, the Chinese trade elasticity is  $-6.9$ , and this happens because in China, large and open sectors are relatively more elastic than in the US. The same is true of Chile, Turkey, or Slovakia. An interesting exception is Malaysia, whose elasticity is  $-3.4$ . This happens not because trade is inelastic at sector level, but rather because the bulk of final expenditures falls on closed sectors. As a result, the domestic price index is relatively insulated from foreign shocks - i.e. the trade elasticity is high.

The international differences uncovered in this paper point to the importance of sectoral specialization in explaining the elasticity of trade, and ultimately the response of real income to terms-of-trade shocks, i.e. welfare. We show that the dispersion in sector-specific elasticities has first-order effects on the aggregate trade elasticity. This stands in stark contrast with estimates of a country's trade elasticity arising from macroeconomic data, that are virtually identical across countries.

The rest of the paper is structured as follows. Section 2 discusses our measure of aggregate trade elasticity, which relies on the equivalence of welfare formulas arising from the one-sector and the multi-sector versions of Arkolakis et al. (2012). Section 3 describes our estimation of sector-level elasticities, and data sources. Section 4 computes the one-sector trade elasticities  $\varepsilon_j$  implied by the multi-sector model, and compares them with macroeconomic estimates. The section closes with a decomposition of international differences in trade elasticities. Section 5 concludes.

## 2 Welfare in One and Multi-Sector Models

This section establishes that the one-sector version of Arkolakis et al. (2012) is nested into the multi-sector model they develop in their section 5.1. This holds true under perfect competition as well as, under some mild restrictions, under monopolistic competition. By definition, changes in aggregate welfare  $W_j^{MS}$  associated with moving to autarky in the multi-sector world are given by

$$d \ln W_j^{MS} = d \ln Y_j - d \ln P_j \quad (2)$$

where  $Y_j$  is aggregate income in country  $j$  and  $P_j$  is the price index.

Labor markets clear. Assuming balanced trade,  $d \ln Y = d \ln w = 0$ , where the second equality comes from the choice of labor as the numeraire. The change in welfare corresponding to a change in trade costs, e.g. a move to autarky, is entirely driven by a change in prices. Assuming Cobb-Douglas preferences across sectors, the price index is given by

$$P_j = \prod_s (P_j^s)^{\beta_j^s} \quad (3)$$

where  $\beta_j^s$  denotes the expenditure share in sector  $s$ , and  $P_j^s$  is the sector-specific price index. The welfare loss associated with a move to autarky is thus given by

$$d \ln W_j^{MS} = - \sum_s \beta_j^s d \ln P_j^s \quad (4)$$

Equation (4) says that the magnitude of the gains from trade in a multi-sector context depends on the extent of sectoral price adjustments, the gains being all the stronger (in absolute value) as the price in large sectors (in terms of expenditure) adjusts more. One would expect the magnitude of such sectoral price adjustments to be highly sensitive to the market structure and the assumption on the cost structure. As shown in Costinot and Rodriguez-Clare (2013), sectoral price adjustments can however be summarized using a single, simple, formula if i) preferences are CES within each sector, ii) trade is balanced, iii) the demand for imports is consistent with the gravity equation and iv) factors of production are used in the same way

across all activities in all sectors. Under these assumptions, Costinot and Rodriguez-Clare (2013) show that sectoral price adjustments can be written as follows:

$$d \ln P_j^s = \frac{-1}{\varepsilon_j^s} [d \ln \lambda_{jj}^s - \delta_j^s d \ln r_j^s] \quad (5)$$

where  $\delta_j^s$  is a dummy variable that characterizes the market structure in sector  $s$  of country  $j$ : It is equal to one under monopolistic competition with free entry and zero under perfect or Bertrand competition, or when there is monopolistic competition but restricted entry.  $r_j^s$  denotes the share of total revenues in country  $j$  generated from sector  $s$ . By definition, it is equal to the share of sector  $s$  in expenditures,  $\beta_j^s$ , in the special case of autarky but not in an open-economy context. Under monopolistic competition with free entry,  $r_j^s$  impacts sectoral prices since entry into one sector entails gains from new varieties.

The main insight of Arkolakis et al. (2012) is that the response of sectoral prices to a foreign shock ultimately depends on the magnitude of terms-of-trade adjustments, whether those terms-of-trade adjustments take place at the intensive or the extensive margin. To measure those terms-of-trade adjustments ex-post, it is sufficient to quantify the impact that the shock has had on the domestic share in consumption  $\lambda_{jj}^s$  and multiply it by the inverse of the price elasticity of trade to convert the quantity adjustment into a welfare equivalent. As underlined in Costinot and Rodriguez-Clare (2013), market structure is shown to matter for price adjustment in the multi-sector case, contrary to the one-sector model. This is because the cross-sectional mobility of factors ( $d \ln r_j^s$ ) can partially compensate for any reduction of trade induced by a positive foreign shock.

Combining equations (4) and (5) gives a measure of welfare gains from trade, in a multi-sector context:

$$d \ln W_j^{MS} = \sum_s \frac{\beta_j^s}{\varepsilon_j^s} [d \ln \lambda_{jj}^s - \delta_j^s d \ln r_j^s] \quad (6)$$

In the special case of moving to autarky:

$$d \ln W_j^{MS} = \sum_s \frac{\beta_j^s}{\varepsilon_j^s} \left[ -\ln \lambda_{jj}^s + \delta_j^s \ln \frac{r_j^s}{\beta_j^s} \right]$$

Costinot and Rodriguez-Clare (2013) use this framework to quantify the gains from trade in a sample of 32 countries. They notably compare the numbers obtained under different assumption about market structure, and  $\delta_j^s = 0$  or  $\delta_j^s = 1$ . The differences are negligible: welfare gains are roughly similar, averaging 14% under monopolistic competition and 15.3% under the alternative assumptions. Based on this result, the rest of our analysis focuses on the case  $\delta_j^s = 0$  for all  $j, s$ , assuming the reallocation of revenues across sectors has negligible consequences.

Based on equation (6), we will compute the welfare loss that would be induced by countries moving to autarky and analyze the origin of the heterogeneity across countries in our sample. There are three potential drivers of such heterogeneity, which potentially interact with each other: i) cross-country differences in the structure of consumption (in the  $\{\beta_j^s\}$ ), ii) cross-country differences in the sensitivity of sectoral trade to price adjustments (in the  $\{\varepsilon_j^s\}$ ), and iii) cross-country differences in the openness of different sectors (in the  $\{\lambda_{jj}^s\}$ ).

Consider now  $\lambda_{jj} \equiv \frac{\sum_s X_{jj}^s}{\sum_s Y_j^s}$ , the aggregate share of domestic expenditures, where  $X_{jj}^s$  and  $Y_j^s$  denote domestic and total expenditures in sector  $s$ . By definition

$$d \ln \lambda_{jj} = \frac{\sum_s \beta_j^s d \lambda_{jj}^s}{\lambda_{jj}} = \sum_s \frac{\lambda_{jj}^s}{\lambda_{jj}} \beta_j^s d \ln \lambda_{jj}^s \quad (7)$$

A one-sector version of the model imposes unique parameters, i.e.  $\varepsilon_j^s = \varepsilon_j$  and  $\lambda_{jj}^s = \lambda_{jj}$ . Constraining sector-level heterogeneity away, the expression for the welfare gains of trade in a multi-sector environment becomes

$$\frac{1}{\varepsilon_j} \sum_s \beta_j^s d \ln \lambda_{jj}^s = \frac{1}{\varepsilon_j} d \ln \lambda_{jj} = d \ln W_j^{OS} \quad (8)$$

where the first equality makes use of equation (6).  $W_j^{OS}$  is welfare in the one-sector model. The one sector model is a special case of the multi-sector version, with heterogeneity assumed away.

Inasmuch as they stem from the same theory, the two versions must have the same welfare implications provided  $\varepsilon_j$  and  $\lambda_{jj}$  are calibrated adequately. The natural analogy for one-sector

variables is to obtain them from aggregate data. But a fundamental difference exists between  $\varepsilon_j$  and  $\lambda_{jj}$ . By definition,  $\lambda_{jj} = \sum_s \beta_j^s \lambda_{jj}^s$ : the aggregate domestic share is a weighted average of sectoral shares. The share of domestic expenditures is directly observable, from sectoral or aggregate data. In contrast,  $\varepsilon_j$  must be estimated. There is potentially a difference between a value for  $\varepsilon_j$  that is obtained from aggregate data, and a weighted average of  $\varepsilon_j^s$ , obtained from sectoral data.

The paper conducts the following experiment: (i) use sector-level data to estimate  $\varepsilon_j^s$ , and calibrate  $\lambda_{jj}^s$ , (ii) compute welfare  $W_j^{MS}$ , (iii) calibrate  $\lambda_{jj}$  from aggregate data, and (iv) use these numbers to back the value of  $\varepsilon_j$  that must be used to obtain identical welfare gains across the two versions, following:

$$\varepsilon_j = \frac{d \ln \lambda_{jj}}{d \ln W_j^{MS}} = \left( \sum_s \beta_j^s \frac{\ln \lambda_{jj}^s}{\ln \lambda_{jj}} \frac{1}{\varepsilon_j^s} \right)^{-1} \quad (9)$$

Having recovered the (aggregate) elasticity which is consistent with empirical evidence gathered from sectoral data, it is possible to analyze the cross-country heterogeneity in aggregate elasticities (thus in aggregate welfare) that is attributable to various dimensions of heterogeneity.

### 3 Estimation and Data

In equation (9), the only parameters which are not directly observed from the data are the sectoral elasticities. We now summarize the approach used to estimate them using import data observed at sector level. The empirical strategy is inspired by Feenstra (1994) and detailed in Imbs and Mejean (2015). That paper also implements alternative approaches, notably a gravity-type regression consistent to Caliendo and Parro (2015). Results presented for the US were consistent across empirical strategies, so that we focus in this paper on the structural strategy described below. The section closes with a review of the data needed for estimations and welfare computations.



### 3.1 Estimation

The strategy consists in estimating structurally an equilibrium model of bilateral trade flows. The demand-side of the model features Constant Elasticity of Substitution between varieties of (disaggregated) products exported by various countries. The import demand equation writes as follows:

$$d \ln s_{ijt}^s = \varepsilon_j^s d \ln P_{ijt}^s + \Phi_{jt}^s + \xi_{ijt}^s \quad (10)$$

where  $i$  denotes a variety, i.e. an origin country and  $t$  is a time indicator.  $s_{ijt}^s$  is the market share of country  $i$  in expenditures on good  $s$  of country  $j$ , at time  $t$ . The intercept  $\Phi_{jt}^s$  is time-varying and common across countries. For instance it captures variations in the “multilateral resistance index” introduced by Anderson and van Wincoop (2003). Finally,  $\xi_{ijt}^s$  is an error term combining preference shocks and trade costs. The shocks are assumed to be independent and identically distributed across sectors and countries. To account for the endogeneity of prices, Feenstra (1994) imposes a simple supply structure:

$$P_{ijt}^s = \exp(v_{ijt}^s) (C_{ijt}^s)^{\frac{\omega_j^s}{1-\omega_j^s}}$$

where  $C_{ijt}^s$  is real consumption of good  $k$  imported from country  $i$ , and  $\omega_j^s$  maps into the price elasticity of supply in sector  $s$ . The technology shock  $v_{ijt}^s$  is independent and identically distributed across sectors and countries. After rearranging, this implies

$$d \ln P_{ijt}^s = \omega^s d \ln s_{ijt}^s + \Psi_{jt}^s + \delta_{ijt}^s \quad (11)$$

where  $\Psi_{jt}^s$  is a time-varying intercept common across origin countries, and  $\delta_{ijt}^s = (1 - \omega_j^s) dv_{ijt}^s$  is an error term that depends on supply shocks. Solve equation (10) for  $\xi_{ijt}^s$ , and equation (11) for  $\delta_{ijt}^s$ , express both in deviations from a reference country  $r$ , and multiply term for term to obtain:

$$Y_{ijt}^s = \psi_{1j}^s X_{1ijt}^s + \psi_{2j}^s X_{2ijt}^s + e_{ijt}^s \quad (12)$$

where  $Y_{ijt}^s = (d \ln P_{ijt}^s - d \ln P_{rjt}^s)^2$ ,  $X_{1ijt}^s = (d \ln s_{ijt}^s - d \ln s_{rjt}^s)^2$ ,  $X_{2ijt}^s = (d \ln s_{ijt}^s - d \ln s_{rjt}^s)(d \ln P_{ijt}^s - d \ln P_{rjt}^s)$ , and  $e_{ijt}^s = -(\xi_{ijt}^s - \xi_{rjt}^s)(\delta_{ijt}^s - \delta_{rjt}^s) \frac{1}{\varepsilon^s}$ .

Feenstra (1994) observes that the time average of  $e_{ijt}^s$  is zero, provided the shocks  $\xi_{ijt}^s$  and  $\delta_{ijt}^s$  are orthogonal to each other. The time averages of  $X_{1ijt}^s$  and  $X_{2ijt}^s$  constitute therefore appropriate instruments in equation (12), since  $cov_{ijt}(\bar{X}_{1ij}^s, e_{ijt}^s) = cov_{ijt}(\bar{X}_{2ij}^s, e_{ijt}^s) = 0$ . They solve the issue of endogeneity present in the import demand equation.<sup>1</sup> Since they are averages over time, identification is effectively obtained across countries.

The procedure in Feenstra (1994) consists in estimating equation (12) and recovering the structural parameters  $\hat{\varepsilon}_j^s$  and  $\hat{\omega}_j^s$  from the estimated coefficients,  $\hat{\psi}_{1j}^s$  and  $\hat{\psi}_{2j}^s$ . For some combinations of the estimated coefficients, however, the recovered values are not theoretically consistent. In such circumstances, we follow Broda and Weinstein (2006). We apply a grid search algorithm over all the theoretically-consistent values for  $(\varepsilon_j^s, \omega_j^s)$  and select the combination of parameters which minimizes the root mean square error. Because we do not want this procedure to create a bias, we restrict the grid search to values of  $\varepsilon_j^s$  higher than -29.

## 3.2 Data

Sectoral information is needed on bilateral imports and unit values (i.e., prices) at sector-level for a cross-section of countries. We use the United Nations ComTrade database, using export declarations for maximum coverage. The data reports multilateral trade at the 6-digit level of the harmonized system (HS6), and cover around 5,000 products for a large cross-section of countries. The universe of products is partitioned into sectors according to the 3-digit ISIC (revision 2) level, which makes for a maximum of 26 sectors. Price elasticities are estimated for each ISIC sector of each importing country, but the data are collected at the most disaggregated (HS6) level. The data are yearly between 1995 and 2004. Before 1995, the number of reporting countries is unstable, and the unit values reported in ComTrade experience a structural break

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<sup>1</sup>In practice, an intercept is included in equation (12) to account for the measurement error arising from the unit values used to approximate prices. Given the origin of potential measurement error, the intercept is allowed to vary at the most disaggregated level, i.e. for each HS6 category.

in 2004.

Identification requires that the cross-section of countries be wide enough for all sectors, and remain so over time. We retain goods for which a minimum of 20 exporting countries are available throughout the period. Both unit values and market shares are notoriously plagued by measurement error. We compute the median growth rate at the sector level for each variable, across all countries and years. We drop all sectors with growth rates in excess of five times that median value, either in unit values or in market share. The resulting sample covers about 85 percent of world trade. Table 1 presents some summary statistics for the 28 countries with available data. The number of sectors (and the number of estimated elasticities  $\varepsilon_j^s$ ) ranges from 10 to 26. The Table also reports the total number of exporters into each country, i.e., the number of sectors in each country multiplied by the number of exporting countries for each sector. For each sector, the data imply an average number of exporting countries of 53.

The main data constraint concerns the weights that enter  $W_j^{MS}$ . Both  $\beta_j^s$  and  $\lambda_{jj}^s$  require information on domestic consumption at sectoral level that must be compatible with the trade data in ComTrade. The constraint raises issues of concordance since information is needed on both production and trade at the sectoral level. This is what reduces the coverage to 28 countries. We use a dataset built by di Giovanni and Levchenko (2009) who merge information on production at the 3-digit ISIC (revision 2) level from UNIDO and on bilateral trade flows from the World Trade Database compiled by Feenstra et al. (2005). Domestic consumption at the sectoral level is computed as production net of exports, and overall consumption is production net of exports but inclusive of imports. We define

$$\beta_j^s \equiv \frac{Y_j^s - X_j^s + M_j^s}{\sum_k (Y_j^s - X_j^s + M_j^s)} \quad (21)$$

where  $X_j^s$  ( $M_j^s$ ) denotes country  $j$ 's exports (imports) in sector  $s$  and  $Y_j^s$  the value of its production. And

$$\lambda_{jj}^s \equiv \frac{Y_j^s - X_j^s}{Y_j^s - X_j^s + M_j^s} \quad (22)$$

To focus on meaningful computations, a minimum of 10 sectors is imposed for all countries. The constraint tends to exclude small or developing economies, such as Panama or Poland. The UNIDO data are in USD, and available at a yearly frequency. The values of  $\beta_j^s$  and  $\lambda_{jj}^s$  are computed over five-year averages in order to limit the consequences of cyclical fluctuations in trade. Two sets of estimations have been considered. In the main text, we use average weights between 1991 and 1995. For robustness, we have also considered averages between 1996 and 2000. Results are very similar and are available upon request.

The UNIDO dataset is focused on manufacturing goods only, which can bring into question the validity of trade elasticity estimates. But the vast majority of traded goods are manufactures, so that the truncation remains minimal. We have experimented with the values for  $\beta_j^s$  and  $\lambda_{jj}^s$  implied by the OECD Structural Analysis database (STAN), which provides information on all sectors of the economy. For countries covered by both datasets, i.e. OECD members, the end elasticities were in fact virtually identical. At least for OECD members, this suggests the sampling issue caused by the UNIDO dataset is kept to a minimum. The last column in Table 1 reports the fraction of total trade covered by UNIDO data. The coverage is below 40 percent for small open economies such as Hong Kong, Cyprus, or Chile, but above 70 percent for large developed economies such as the US, France or Spain. Coverage is clearly limited for small open, developing economies. But, contrary to OECD data, it leaves the door open to some analysis for the developing world, not least China where coverage is above 50%.

## 4 Trade Elasticities in the One-Sector Model

We report the estimates of  $\varepsilon_j^s$  implied by sectoral data for the 28 countries with the required data, and discuss the corresponding values of  $\varepsilon_j$ . One-sector elasticities are compared with conventional macroeconomic estimates, and then with a weighted average of sectoral elasticities  $\varepsilon_j^s$ . The Section closes with a decomposition of the international differences in estimates of  $\varepsilon_j$ .

## 4.1 Sector-Level Estimates, Multi-Sector Welfare and $\varepsilon_j$

Table 2 presents some summary statistics of the estimates of  $\varepsilon_j^s$  implied by ComTrade data between 1995 and 2004. There is considerable heterogeneity in mean sectoral elasticities across countries. Developed countries display average values around  $-5$ : Germany at  $-4.6$ , France at  $-4.8$ , or the US at  $-5.9$ . In contrast, developing exporting economies present estimates at least twice larger. Cyprus has the largest mean sectoral elasticity, equal to  $-14.4$ , closely followed by Chile, Indonesia and Guatemala.

Sectoral heterogeneity is sizeable within countries as well. The distribution of estimates tends to be most disparate and skewed in developing economies. For instance, estimates of  $\varepsilon_j^s$  range between  $-1.8$  and  $-29.0$  in Chile, with a median of  $-8.2$ , substantially below the mean of  $-12.2$ . In Indonesia, estimates range from  $-2.3$  to  $-29.0$ .<sup>2</sup> Ranges tend to be narrower for European developed countries, such as France, Germany, Italy or the UK. The distributions tend to be more symmetric also, with mean and median elasticities closer together.

Country and sector effects each explain approximately 10 percent of the cross-country dispersion in estimates of  $\varepsilon_j^s$ . Close to 80 percent of the variance in  $\varepsilon_j^s$  must therefore correspond to international differences in the trade elasticity for each sector  $s$ . The result is apparent from Table 3, where some sectoral estimates are drastically different from one country to the next. For instance, the elasticity for Fabricated Metal products is  $-3.5$  in France, but  $-26.6$  in Indonesia. Imports of Potteries are inelastic in Australia ( $\hat{\varepsilon}_j^s = -1.9$ ), but elastic in Sweden ( $\hat{\varepsilon}_j^s = -29.0$ ). Such disparities may correspond to differences in the very nature of the goods imported. For instance, Metal products imported by France are likely to be of higher quality than those imported by Indonesia.

This heterogeneity in sectoral estimates is relevant inasmuch as it affects the welfare gains from trade implied by the multi-sector version of Arkolakis et al. (2012). We now compute the

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<sup>2</sup>Note that these intervals are somewhat misleading because of the lower bound imposed on estimated elasticities obtained using a grid search procedure. For instance, the range of estimated elasticities is quite large in Table 2 for the US,  $[-29.0, -3.0]$  but is strongly reduced once the single elasticity equal to  $-29$  is neglected, to  $[-5.1, -3.0]$ . This is typically not the case for developing countries. For instance, once the single value of  $-29$  is dropped, the intervals are equal to  $[-24.6, -1.8]$  in Chile, and  $[-24.3, -2.3]$  in Indonesia.

welfare loss  $d \ln W_j^{MS}$  associated with a move to autarky, across all the countries with relevant data. The welfare loss is given by equation (5):

$$d \ln W_j^{MS} = - \sum_s \frac{\beta_j^s}{\varepsilon_j^s} \ln \lambda_{jj}^s$$

whose estimation requires calibrated values for  $\beta_j^s$  and  $\lambda_{jj}^s$ . Welfare losses get close to zero for low values of  $\ln \lambda_{jj}^s$ , i.e. in closed economies where  $\lambda_{jj}^s$  is close to 1. They decrease in trade elasticities, because that means large price responses to shifts in the quantities traded. And they increase in expenditure shares.

Armed with the welfare gains implied by the multi-sector version and observed values for  $\lambda_{jj}$ , the one-sector value of  $\varepsilon_j$  is given by

$$\varepsilon_j = \frac{- \ln \lambda_{jj}}{d \ln W_j^{MS}}$$

This is the trade elasticity that equates welfare in the two versions of the model.

The first three columns in Table 4 report estimates of  $d \ln W_j^{MS}$ , the calibrated values of  $\lambda_{jj}$ , and the corresponding estimates of  $\varepsilon_j$  for the 28 countries with data. Standard errors are obtained using the Delta method detailed in the Appendix. The welfare losses from autarky are highest in small open economies, like Hong Kong (36.3% of real income) or Malaysia (28.2%). They are lowest in large, closed economies, such as Japan (1.2%), India (2.3%), China (3.0%) or the US (3.6%). On average, the losses are estimated around 7.5% of real income for developed, West European economies.

The ranking correlates with measures of overall openness, as reflected in the aggregate share of domestic expenditures  $\lambda_{jj} \equiv \frac{Y_j - X_j}{Y_j - X_j + M_j}$ . It takes lowest values in small open economies, like Hong Kong or Malaysia, and highest in large or closed countries, such as Japan, the US or India. But openness is not the sole determinant of welfare:  $d \ln W_j^{MS}$  also decreases with trade elasticities, and depends on their distribution across sectors. The comparison of Greece and

Austria is illustrative of two countries which are roughly as open to trade, spending around half of their consumption on imported goods, but with different sectoral specialization and elasticities, leading to different levels of welfare losses. The welfare loss from moving to autarky is twice as large in Austria than in Greece (respectively 13.5 and 7.8%). The difference is in part attributable to lower average sectoral elasticities in Austria, as illustrated in Table 2. It also comes from the cross-sector correlation between  $\lambda_{jj}^s$  and  $\varepsilon_j^s$ . For given average openness and average trade elasticity, the welfare loss  $d \ln W_j^{MS}$  takes higher (absolute) value if open sectors tend to display low elasticities. This tends to happen in Austria, an open economy on average, whose imports are specialized in sectors with low trade elasticities. The specialization of trade matters for welfare.

The third column in Table 4 reports the values of  $\varepsilon_j$  implied by observed  $\lambda_{jj}$  and estimated  $W_j^{MS}$ . There are once again considerable cross-country differences. Estimates of the one-sector trade elasticity range from around  $-3.4$  in Malaysia, down to  $-10.0$  in Cyprus. Intermediate values between  $-4$  and  $-5$  are found for developed economies, with  $-4.9$  for the US or  $-5.4$  for the UK. No obvious correlate of  $\varepsilon_j$  is apparent from Table 4, as developing economies can be found at either extreme of the range of estimates.

## 4.2 Comparisons

Table 4 does suggest an important result: the estimates of  $\varepsilon_j$  are unusual for one-sector models. We now compare our estimates of  $\varepsilon_j$  with alternative candidates. Trade elasticity estimates that arise from aggregate data are first considered. Aggregate data are the most natural source when it comes to estimating parameters that enter one-sector models. It is self-evident from Table 4 that our estimates of  $\varepsilon_j$  are significantly different from the conventional values for import price elasticities obtained in macroeconomics.<sup>3</sup> For instance, Figure 1 reproduces the estimates obtained in Houthakker and Magee (1969) for 15 developed economies. No point

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<sup>3</sup>See for instance the estimates reported in Francis et al. (1976). The book contains summaries of available aggregate elasticities from the literature.

estimates are below  $-2$ , some are positive, and 10 out of 15 are not significantly different from zero. In fact, virtually no two estimates are significantly different from each other. For instance, the US price elasticity of imports is  $-0.5$ , Japan's is  $-0.78$ , and Canada's is  $-1.5$ .

A similar exercise was conducted using ComTrade data, which we aggregated to country level in order to estimate a gravity equation. Using the notation from section 3, we estimate

$$\Delta \ln P_{ijt} C_{ijt} = A_{ij} + (\varepsilon_j^A + 1) \Delta \ln P_{ijt} + \tilde{v}_{ijt} \quad (23)$$

where  $\Delta X_t = X_t - X_{t-1}$ ,  $P_{ijt} C_{ijt} = \sum_s P_{ijt}^s C_{ijt}^s$  and  $\Delta \ln P_{ijt} = \frac{1}{2} \sum_s \left( \frac{P_{ijt}^s C_{ijt}^s}{P_{ijt} C_{ijt}} + \frac{P_{ijt-1}^s C_{ijt-1}^s}{P_{ijt-1} C_{ijt-1}} \right) \Delta \ln P_{ijt}^s$  is a Tornqvist price index. Identification is obtained through time variation. Column 4 in Table 4 reports the estimates of  $\varepsilon_j^A$ . In comparison with  $\varepsilon_j$ , the estimates of  $\varepsilon_j^A$  are much closer to zero. Of course, equation (23) is acutely problematic, as changes in prices are endogenous. But it is unlikely a correction for endogeneity would imply estimates of  $\varepsilon_j^A$  close to  $\varepsilon_j$ . At the very least, no existing estimates using aggregate data come even close.

Estimates of  $\varepsilon_j$  can therefore not be reproduced from aggregate data. Rather, they are given by a weighted average of sector level estimates  $\varepsilon_j^s$ , with weights given by  $\beta_s \frac{\ln \lambda_{jj}^s}{\ln \lambda_{jj}}$ :

$$\varepsilon_j = \left( \sum_s \beta_s \frac{\ln \lambda_{jj}^s}{\ln \lambda_{jj}} \frac{1}{\varepsilon_j^s} \right)^{-1}$$

The weights reflect the relative openness to trade and each sector's importance in overall consumption. The specialization of the economy matters in two ways: First, sectors that compose a large fraction of total expenditures receive a small weight. For a given shock and a given sectoral elasticity, a large value of  $\beta_s$  implies a large response of the overall price index, i.e. low aggregate trade elasticity. For the same reason, relatively open sectors enter with a small weight. For a given shock to traded quantities, a large value of  $\frac{\ln \lambda_{jj}^s}{\ln \lambda_{jj}}$  means a large response of the sectoral price index. The response of the aggregate price index is accordingly large, which means low aggregate trade elasticity.



### 4.3 International Differences

International differences in trade elasticities are absent from estimates obtained from aggregate data. Thus in macroeconomics, trade elasticities are customarily assumed to be identical across countries, and thus invariant to differences in the specialization of trade across countries. This is an undesirable property in light of anecdotal and journalistic arguments that the specialization of production or trade has direct implications on countries' external performance.

The trade elasticity introduced in this paper does not share this property. Cross-country estimates of  $\varepsilon_j$  display considerable heterogeneity, and theory can be used to identify its sources. Using its definition, it is easy to show how  $\varepsilon_j$  decomposes. In particular, a Taylor expansion of equation (1) around a reference country  $r$  implies

$$\frac{\varepsilon_j - \varepsilon_r}{\varepsilon_r} = \underbrace{-\sum_s Sh_r^s \frac{\beta_j^s - \beta_r^s}{\beta_r^s}}_{B_j} - \underbrace{\sum_s Sh_r^s \frac{\Delta\lambda_j^s - \Delta\lambda_r^s}{\Delta\lambda_r^s}}_{L_j} + \underbrace{\sum_s Sh_r^s \frac{\varepsilon_j^s - \varepsilon_r^s}{\varepsilon_r^s}}_{E_j} \quad (13)$$

where  $Sh_r^s \equiv \frac{\beta_r^s \ln \lambda_{rr}^s \frac{1}{\varepsilon_r^s}}{\sum_s \beta_r^s \ln \lambda_{rr}^s \frac{1}{\varepsilon_r^s}}$  and  $\Delta\lambda_j^s \equiv \frac{\ln \lambda_{jj}^s}{\ln \lambda_j^s}$

Equation (13) implies that the international dispersion in trade elasticities is determined by three terms. The first term ( $B_j$ ) reflects international differences in the sectoral composition of expenditures. The second one ( $L_j$ ) reflects differences in sectoral openness, and the third ( $E_j$ ) reflects differences in sectoral trade elasticities. In absolute value,  $\varepsilon_j$  is relatively high if (i) consumers spend less (relative to the reference country) in open and inelastic sectors, (ii) large and inelastic sectors are closed (relative to the reference), and (iii) sectors that are elastic (relative to the reference) also tend to be large and open.

Performing the decomposition described in equation (13) is straightforward, given the data requirements involved in computing  $W_j^{MS}$ . For reference, Figure 2 reproduces the cross-country estimates of  $\varepsilon_j$  reported in Table 4, along with the decomposition in equation (13) using the US as reference country.

It is interesting to note that high average estimates of  $\varepsilon_j^s$ , which tend to happen in the developing world as shown in Table 2, do not necessarily translate into large values for  $E_j$ . For instance, Chile or Greece have large positive values of  $E_j$ , whereas they are negative in Indonesia. As is obvious from equation (13), there is no correlation between sectoral averages of  $\varepsilon_j^s$  and the value of  $E_j$ . International differences in  $\varepsilon_j$  arise because the sectoral distributions of  $\varepsilon_j^s$ ,  $\beta_j^s$  and  $\Delta\lambda_{jj}^s$  change from one country to the next. Figure 3 suggests these international differences are smallest as regards  $\beta_j^s$ , as the  $B_j$  term tends to be the least important element of  $\frac{\varepsilon_j - \varepsilon_r}{\varepsilon_r}$ , except perhaps in Malaysia. The main reason why estimates of  $\varepsilon_j$  vary across countries appears to be summarized in  $E_j$ , i.e., in cross country differences in the sector-estimates of trade elasticities. Some differences in  $L_j$  do exist as well, but they are much smaller, except perhaps in Austria.

Several results are of interest. In most cases, the estimates of  $\varepsilon_j$  are larger (in absolute value) or similar to the US. Amongst developed countries, only Germany has an estimate closer to zero than in the US, at  $-4.3$ ; France's estimate is  $-4.6$ . Among developing countries, elasticity estimates are observably larger in absolute value, except in Guatemala ( $-4.5$ ), Indonesia ( $-4.4$ ), and Malaysia ( $-3.4$ ). The differences are much larger for countries whose aggregate elasticities are estimated above that in the US. For instance, Greece and Chile both display values of  $\varepsilon_j$  around  $-9$ ; Canada's estimate is  $-8$ , Slovakia's  $-7.8$ , while China's is  $-6.9$ , Hungary's, Portugal's, and Turkey's are  $-6.4$ . As is apparent from this list, there is no systematic correlation between income levels and elasticity estimates: even though most developed countries have estimates of  $\varepsilon_j$  in the US ballpark (Germany, France, Austria, South Korea, Italy, or Japan all have estimates around  $-5$ ), there are exceptions.

Figure 3 does however reveal a systematic pattern across countries: high estimates of  $\varepsilon_j$  typically arise because of a high value for  $E_j$ . Countries with elastic trade are ones that tend to import more of (relatively) high-elasticity goods. In the conventional view of trade elasticities, this corresponds to heterogeneous price elasticities of demand for a given sector across countries. In the model of Eaton and Kortum (2002), international differences in estimates of  $\varepsilon_j^s$  correspond

to differences in the dispersion of firm technologies at sector level. Deciding which of these two interpretations dominates in the data is beyond the scope of this paper. But the fact that high values of  $\varepsilon_j$  arise in both developed (Canada, Australia) and developing (China, Turkey) countries is suggestive that technology-based explanations can play a role. The fact that few countries have estimates of  $\varepsilon_j$  lower than the US suggests dispersion in firm technology is in fact highest in the US in our sample, i.e., that the US constitutes a legitimate benchmark.

Among the countries with largest estimates, China, Slovakia, and Canada stand out: in all three cases, the aggregate elasticity would be the same as in the US if sector-level estimates of trade elasticities were those of the US, i.e. if  $E_j$  were zero. Thus, large aggregate differences come from international differences in estimates of the elasticity of a given sector, consistent with Table 3. Australia, Chile, Greece, and to a lesser extent Turkey all share the same property, but the end effect on  $\varepsilon_j$  is mitigated by negative values of  $L_j$ : In these small open economies, inelastic sectors tend to be much more open to international trade than in the US, which has mitigating consequences on the estimates of  $\varepsilon_j$ . Australia, in particular, would have a trade elasticity as high as Canada ( $-8$ ) if the relative openness of its sectors was the same as in the US.

Most European elasticities are similar to the US, but this masks some important differences. The United Kingdom, for instance, would have a much higher elasticity if large sectors were more open, closer to that of Turkey ( $-6, 5$ ). This is because its importing sectors do tend to display high values of  $\varepsilon_j^s$ . This is also true of Norway and Sweden, where the effects of  $E_j$  and  $L_j$  on  $\varepsilon_j$  work in opposite directions. Austria is an extreme case of the same pattern: based on the estimates of  $\varepsilon_j^s$  there, the value of  $E_j$  in Austria would imply an aggregate elasticity close to  $-10$ , instead of the  $-4.8$  we estimate. This illustrates the importance of letting both trade elasticities and the extent of openness vary by sector.

Interestingly, Germany tends to display similar estimates of  $\varepsilon_j^s$  than the US: but its aggregate elasticity is closer to zero ( $-4.3$ ) because both  $L_j$  and  $B_j$  take negative values. Thus, the relatively low elasticity of German trade comes not from especially low trade elasticities at

sector level, but rather from the structure of final consumption, and of openness.

A few developing countries display elasticity estimates in the US ballpark, sometimes even closer to zero. It is especially the case of Malaysia and Indonesia, Guatemala to a lesser extent. These constitute interesting exceptions. Malaysia's estimate of  $\varepsilon_j = -3.4$  is the closest to zero in our sample. Figure 3 reveals this happens strictly for structural reasons: while  $E_j > 0$  in Malaysia, just like it is in most other developing countries,  $B_j$  and  $L_j$  are both negative, quite sizeably so.  $B_j < 0$  in particular reflects the structure of final expenditures in Malaysia, that tends to fall on relatively closed sectors, so that the response of aggregate quantities to international prices is muted. Malaysia provides an illuminating illustration of the decomposition introduced in this paper, emphasizing that, in principle, the structure of the economy matters as much as sector-level elasticities. Guatemala constitutes a similar example, with  $E_j > 0$  but  $L_j < 0$ . Finally, Indonesia is an outlier, as it is the only developing country that display negative values for  $E_j$ , i.e. sector elasticity estimates that are closer to zero than in the US.

The decomposition of  $\varepsilon_j$  is relevant to understanding the international dispersion in trade elasticities. It is of course also important for welfare. The welfare gains from trade decrease in the trade elasticity, so that large estimates of  $\varepsilon_j$  mean lower welfare than what is implied by aggregate data. For instance, Figure 3 suggests the welfare gains from trade in China would be substantially higher if the distribution of sectoral elasticities were closer to the US. They would similarly be higher in Canada. To our knowledge, there is no alternative methodology that implies such a close mapping between the sectoral specialization of consumption and production, the elasticity of trade, and ultimately the welfare gains from trade.

## 5 Conclusion

The welfare gains from trade are computed for 28 countries, on the basis of the multi-sector model developed by Costinot and Rodriguez-Clare (2013). Welfare is given by the static re-

sponse of real income to a terms-of-trade shock, and it is summarized by import shares and trade elasticities. The multi-sector welfare measure is computed from observed sectoral import shares and estimated sectoral trade elasticities. The one-sector version is a special case, and should have identical welfare predictions to the multi-sector model, provided it is calibrated adequately. On the basis of observed import shares at country level, we estimate the trade elasticity implied by the one-sector version of the model, but constrained to imply the same level of welfare as in the multi-sector model with homogeneous sectors. We label this an “aggregate” trade elasticity.

Estimates of aggregate trade elasticities are significantly different from conventional, macroeconomic trade elasticities. They are larger in absolute value, and heterogeneous across countries, with values ranging between  $-3.4$  and  $-9.9$ . China has low estimates,  $-6.9$ . Western Europe and the US display estimates around  $-5$ , but Canada, Chile and Greece are closer to  $-9$ . The lowest values are found for small-open specialized economies. Using the theory, a decomposition of this international dispersion is introduced. Trade elasticities can differ because of the specialization of consumption, of production, or because of international differences in sector-level trade elasticities. Most countries have elasticity estimates larger (in absolute value) than the US because sector-level elasticities are themselves larger in absolute value. Inasmuch as welfare depends on the trade elasticity, these decomposition carry through to welfare.

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## A Appendix: Variances

### A.1 The variance of $d \ln W_j^{MS}$

Consider a Taylor expansion of  $d \ln W_j^{MS} = \sum_s \frac{\beta_j^s}{\varepsilon_j^s} \ln \lambda_{jj}^s$  around its estimated value  $d \ln \hat{W}_j^{MS}$ .

We have:

$$\begin{aligned} d \ln W_j^{MS} &= d \ln \hat{W}_j^{MS} + \sum_s \left. \frac{d \ln W_j^{MS}}{d \varepsilon_j^s} \right|_{\varepsilon_j^s = \hat{\varepsilon}_j^s} (\varepsilon_j^s - \hat{\varepsilon}_j^s) \\ &= d \ln \hat{W}_j^{MS} + \sum_s \frac{-\beta_j^s}{(\hat{\varepsilon}_j^s)^2} (\varepsilon_j^s - \hat{\varepsilon}_j^s) \ln \lambda_{jj}^s \end{aligned}$$

The variance is therefore given by

$$Var(d \ln W_j^{MS}) = \sum_s \left( \frac{\beta_j^s}{(\hat{\varepsilon}_j^s)^2} \ln \lambda_{jj}^s \right)^2 Var(\hat{\varepsilon}_j^s)$$

### A.2 The variance of $\varepsilon_j$

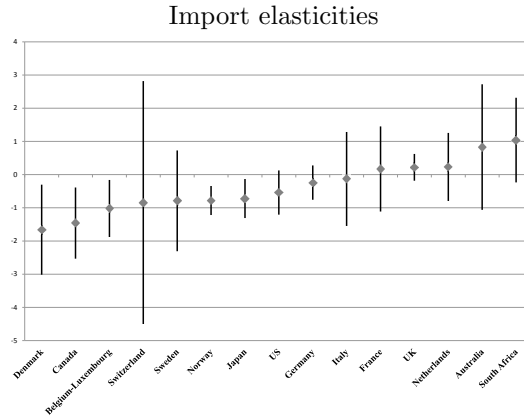
A Taylor expansion of  $\varepsilon_j = \frac{\ln \lambda_{jj}}{d \ln W_j^{MS}}$  around its estimated value  $\hat{\varepsilon}_j$  implies

$$\varepsilon_j = \hat{\varepsilon}_j - \frac{\ln \lambda_{jj}}{(d \ln W_j^{MS})^2} (d \ln W_j^{MS} - d \ln \hat{W}_j^{MS})$$

The variance is therefore given by

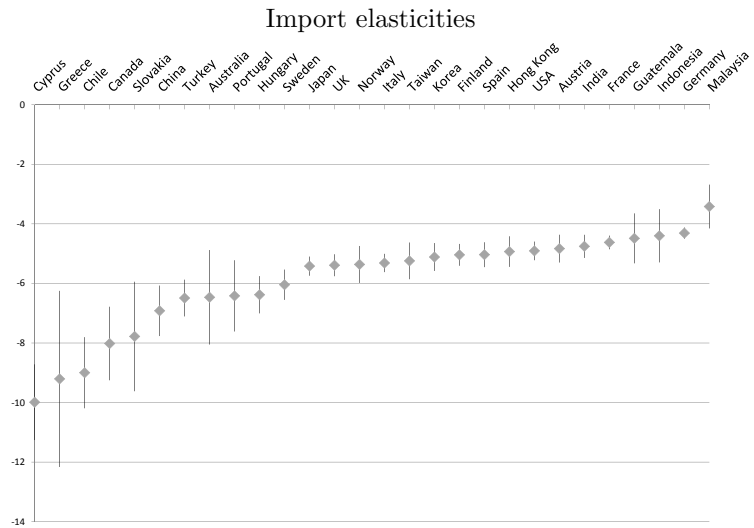
$$Var(\varepsilon_j) = \left( \frac{\ln \lambda_{jj}}{(d \ln W_j^{MS})^2} \right)^2 Var(d \ln W_j^{MS})$$

Figure 1: Houtakker and Magee (1969) elasticity estimates



Note: The grey circles are the point estimates found in Houtakker and Magee (1969). Lines around the circles correspond to the confidence interval, at the 5% level.

Figure 2: Estimated elasticity estimates in the one-sector model



Note: The grey circles are the point estimates reported in Table 4. Lines around the circles correspond to the confidence interval, at the 5% level.



Table 1: Summary Statistics

	# sect	# sect $\times$ exp	% Trade
Australia	17	560	47.1
Austria	24	561	71.7
Canada	24	562	64.5
Chile	17	501	33.5
China	20	566	51.2
Cyprus	18	460	24.4
Finland	26	558	65.4
France	26	560	78.4
Germany	21	565	50.8
Greece	17	555	42.8
Guatemala	18	349	36.9
Hong Kong	11	573	16.9
Hungary	19	545	47.1
India	18	560	33.7
Indonesia	15	561	42.5
Italy	25	561	72.6
Japan	26	560	61.1
Korea	26	556	58.6
Malaysia	18	560	50.4
Norway	20	561	49.8
Portugal	22	557	62.3
Slovakia	10	494	27.9
Spain	26	560	73.3
Sweden	25	561	72.9
Taiwan	20	560	40.1
Turkey	24	547	57.5
United Kingdom	26	560	81.1
United States	27	559	74.3

Notes: The first column reports the number of sectors under study, the second column reports the number of distinct sectors  $\times$  origin countries, which is the dimensionality used to reach identification. The third column is the percentage of the country's aggregate imports which the dataset covers.

Table 2: Summary statistics on estimated sectoral elasticities

Country	Count	Mean	Median	Min	Max
Australia	17	-9.9	-6.3	-29.0	-1.9
Austria	24	-6.7	-5.5	-15.4	-2.5
Canada	24	-9.0	-7.5	-29.0	-2.9
Chile	17	-12.2	-8.2	-29.0	-1.8
China	20	-7.0	-5.7	-29.0	-3.2
Cyprus	18	-14.4	-9.3	-29.0	-2.8
Finland	26	-5.7	-4.2	-22.4	-2.2
France	26	-4.8	-4.6	-9.8	-2.8
Germany	21	-4.6	-4.3	-11.1	-2.0
Greece	17	-11.1	-8.8	-29.0	-4.6
Guatemala	18	-11.5	-7.0	-29.0	-2.6
Hong Kong	11	-5.2	-5.1	-7.9	-3.6
Hungary	19	-8.0	-6.0	-29.0	-1.5
India	18	-6.0	-5.0	-21.2	-2.2
Indonesia	15	-12.2	-6.9	-29.0	-2.3
Italy	25	-5.8	-5.6	-11.7	-2.4
Japan	26	-6.4	-4.9	-25.9	-3.5
Korea	26	-5.8	-5.3	-14.2	-3.0
Malaysia	18	-7.8	-5.2	-29.0	-2.7
Norway	20	-6.5	-5.4	-17.8	-2.4
Portugal	22	-9.1	-7.8	-29.0	-2.5
Slovakia	10	-7.7	-7.2	-12.1	-4.2
Spain	26	-6.7	-5.9	-26.3	-3.2
Sweden	25	-9.9	-5.9	-29.0	-2.7
Turkey	24	-7.5	-5.8	-29.0	-3.3
Taiwan	20	-6.4	-5.2	-29.0	-2.7
United Kingdom	26	-6.3	-5.2	-13.1	-2.5
United States	27	-5.9	-5.0	-29.0	-3.0

Notes: The table reports summary statistics on the estimated elasticities,  $\hat{\epsilon}_j^s$ , by importing country.

Table 3: Summary statistics on estimated elasticities, by sector

Sector	Count	Mean	Median	Min	(Country)	Max	(Country)
Food	28	-7.2	-6.1	-15.0	(Greece)	-3.8	(Finland)
Beverage	21	-6.6	-5.5	-29.0	(Malaysia)	-2.3	(Hungary)
Tobacco	3	-3.2	-2.8	-4.8	(USA)	-2.0	(Germany)
Textile	27	-11.3	-7.4	-29.0	(Australia, Chile, Guatla, Cyprus)	-3.5	(Taiwan)
Wearing Apparel	17	-13.9	-10.5	-29.0	(Australia, Cyprus, Sweden, Taiwan)	-4.6	(Korea)
Leather products	19	-8.9	-6.3	-29.0	(Greece)	-3.8	(Malaysia)
Footwear	22	-10.0	-6.9	-29.0	(Cyprus)	-3.0	(Korea)
Wood products	21	-6.0	-4.9	-23.2	(Australia)	-2.4	(Italy)
Furniture	19	-6.4	-3.6	-29.0	(USA)	-1.5	(Hungary)
Paper products	26	-4.3	-4.0	-8.0	(Portugal)	-1.8	(Chile)
Printing & Publishing	26	-6.4	-4.2	-29.0	(Malaysia)	-2.2	(Chile)
Industrial chemicals	21	-6.0	-5.0	-12.7	(Guatemala)	-4.1	(USA)
Other chemicals	21	-5.9	-5.9	-8.2	(Chile)	-2.7	(Finland)
Petroleum	12	-7.9	-4.6	-26.3	(Spain)	-2.5	(UK)
Rubber products	27	-7.4	-4.8	-29.0	(Indonesia)	-3.5	(France)
Plastic products	27	-5.6	-4.3	-29.0	(Indonesia)	-2.9	(Italy)
Potteries	18	-5.5	-3.8	-29.0	(Sweden)	-1.9	(Australia)
Glass products	26	-6.2	-4.4	-29.0	(Indonesia)	-2.4	(Chile)
Other mineral products	26	-4.0	-3.8	-7.1	(Taiwan)	-2.1	(Chile)
Iron and steel	22	-6.2	-5.2	-29.0	(Chile)	-3.3	(France)
Non-ferrous metal	19	-6.2	-5.3	-13.1	(UK)	-3.0	(Portugal)
Fabricated metal pdcts	26	-7.7	-5.6	-26.6	(Indonesia)	-3.5	(France)
Machineries	23	-9.0	-6.7	-29.0	(Cyprus)	-4.9	(USA)
Electrical apparatus	27	-10.5	-8.6	-29.0	(Cyprus, Hungary, Chile)	-4.7	(Germany)
Transport equipment	25	-11.4	-8.0	-29.0	(China, Turkey, Canada)	-4.1	(Spain)
Measuring equipment	17	-13.5	-10.9	-29.0	(Sweden, Guatla)	-3.4	(Finland)
Other manufacturing	20	-8.0	-6.2	-29.0	(Portugal)	-3.1	(Norway)

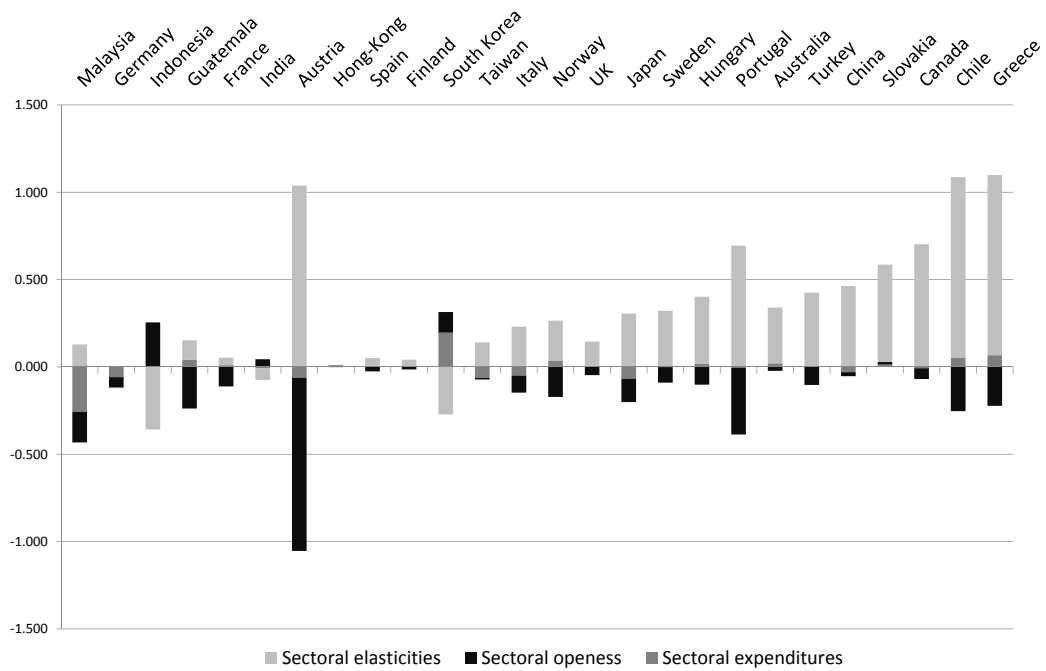
Notes: The table reports summary statistics on the estimated elasticities,  $\hat{\epsilon}_j^s$ , by ISIC-rev2 industry. The countries displaying the minimum and maximum elasticities in each sector are displayed under parentheses.

Table 4: Aggregate welfare gains, domestic expenditure shares, and trade elasticities

Country	Welfare ( $d \ln W_j^{MS}$ )	Domestic share ( $\lambda_{jj}$ )	Elasticity ( $\varepsilon_j$ )	Aggregate Elast. ( $\varepsilon_j^A$ )
Australia	-0.057 (.007)	0.690	-6.466 (.810)	-1.944 (.220)
Austria	-0.135 (.007)	0.522	-4.831 (.238)	-2.199 (.192)
Canada	-0.069 (.005)	0.577	-8.018 (.630)	-1.442 (.106)
Chile	-0.048 (.003)	0.647	-8.999 (.609)	-3.578 (.855)
China	-0.030 (.002)	0.810	-6.920 (.433)	-2.972 (.247)
Cyprus	-0.063 (.004)	0.532	-9.989 (.648)	-3.089 (.419)
Germany	-0.086 (.002)	0.691	-4.312 (.095)	-2.112 (.170)
Spain	-0.062 (.003)	0.730	-5.035 (.214)	-2.634 (.233)
Finland	-0.087 (.003)	0.644	-5.040 (.187)	-2.368 (.307)
France	-0.077 (.002)	0.701	-4.624 (.118)	-2.158 (.158)
United Kingdom	-0.076 (.003)	0.662	-5.389 (.188)	-3.617 (.369)
Greece	-0.078 (.013)	0.487	-9.206 (1.509)	-4.825 (.898)
Guatemala	-0.120 (.011)	0.585	-4.486 (.428)	-3.950 (1.046)
Hong-Kong	-0.363 (.019)	0.167	-4.932 (.262)	-2.081 (.193)
Hungary	-0.079 (.004)	0.604	-6.381 (.319)	-3.442 (.618)
Indonesia	-0.118 (.012)	0.596	-4.401 (.456)	-2.093 (.238)
India	-0.023 (.001)	0.898	-4.755 (.198)	-2.859 (.344)
Italy	-0.068 (.002)	0.698	-5.314 (.156)	-2.990 (.278)
Japan	-0.012 (.000)	0.935	-5.420 (.164)	-3.030 (.138)
Korea	-0.049 (.002)	0.777	-5.113 (.239)	-4.895 (.805)
Malaysia	-0.282 (.031)	0.382	-3.418 (.375)	-2.516 (.239)
Norway	-0.091 (.005)	0.615	-5.363 (.317)	-3.165 (.417)
Portugal	-0.078 (.007)	0.608	-6.417 (.610)	-3.197 (.345)
Slovakia	-0.043 (.005)	0.716	-7.781 (.938)	-3.879 (.711)
Sweden	-0.100 (.004)	0.545	-6.044 (.260)	-2.314 (.240)
Turkey	-0.040 (.002)	0.771	-6.491 (.315)	-3.351 (.216)
Taiwan	-0.066 (.004)	0.707	-5.243 (.315)	-1.988 (.209)
United States	-0.036 (.001)	0.837	-4.907 (.160)	-1.463 (.072)

Notes: The table reports the welfare impact of moving to autarky, computed using the formula in equation (5) (first column), the calibrated aggregate share of domestic goods in consumption (second column) and the aggregate elasticity of imports inferred from the previous two columns, and defined as the aggregate elasticity which equalizes the welfare implications of the one- and multi-sector model. Standard errors in parentheses, obtained using the Delta method described in appendix. All estimates are significant at the one percent level.

Figure 3: Sources of heterogeneity in one-sector elasticities



Note: The figure reports the decomposition in equation (13), using the US as reference. Medium gray corresponds to the first term  $B_j$ , black corresponds to the second term  $L_j$ , and light gray corresponds to the third term  $E_j$ .